

1. For  $f(x) = 4x - 7$ , what is the average rate of change for  $-3 \leq x \leq 2$

$$f(-3) = 4(-3) - 7 = -19 \quad (-3, -19)$$

$$f(2) = 4(2) - 7 = 1 \quad (2, 1)$$

$$m = \frac{1 + 19}{2 + 3} = \frac{20}{5} = \boxed{4}$$

2. Compare the slope of  $f(x) = -\frac{1}{4}(8x - 10)$  to the table below. What kind of slope do each have?

x	-3	-1	1	3	5
g(x)	10	9	8	7	6

$f(x) = -2x + \frac{10}{4}$      $f(x) = -2x + \frac{5}{2}$   
 $m = \boxed{-\frac{1}{2}}$

3. Write the equation of the line that passes through  $(5, 2)$  and  $(13, 18)$

$$m = \frac{18 - 2}{13 - 5} = \frac{16}{8} = \boxed{2}$$

$$y - y_1 = m(x - x_1)$$

$$y - 2 = 2(x - 5) \quad \checkmark (5, 2)$$

$$y - 2 = 2x - 10 \quad \checkmark (13, 18)$$

$$y = 2x - 8$$

$$2 = 2(5) - 8$$

$$18 = 2(13) - 8$$



**Slope  
Application  
Problems**

### Finding Slope Application:

1. If 3 movie tickets cost \$26.25 and 5 cost \$43.75, what would one movie ticket cost?

$$\begin{array}{l} (3, 26.25) \\ (5, 43.75) \end{array} \quad \frac{43.75 - 26.25}{5 - 3} = \frac{17.50}{2}$$

\$8.75  
per  
ticket

2. If I paid \$17,500 in 2005 for my car brand new and in 2010 it is worth \$5000. What is the yearly depreciation?

$$\begin{array}{l} (0, 17500) \\ (5, 5000) \end{array} \quad \frac{5000 - 17500}{5 - 0} = \frac{-12500}{5}$$

\$2500 lost  
yearly - 2500

Application with writing linear equations

$$y = mx + b$$

3. In ~~1990~~<sup>0</sup>, the average cost of a new house was \$123,000. By the year ~~2000~~<sup>2010</sup>, the average cost of new house was \$134,150. Write a linear equation to represent this situation.

$$\begin{matrix} (0, 123000) \\ (10, 134150) \end{matrix} \quad m = \frac{134150 - 123000}{10 - 0} = \frac{11150}{10}$$

$$y = 1,115x + 123,000 \quad \$1,115$$

4. In ~~1995~~<sup>0</sup> the average price of movie ticket was \$5.00. In ~~2010~~<sup>15</sup> the average cost a movie ticket is \$10.00. Write an equation to represent this situation.

$$\begin{matrix} (0, 5) \\ (15, 10) \end{matrix} \quad m = \frac{10 - 5}{15 - 0} = \frac{5}{15} = \frac{1}{3}$$

$$y = \frac{1}{3}x + 5 \quad y = 0.\overline{33}x + 5$$



## Application with solving linear equations

5. A company has monthly expenses represented by the function  $c(x) = 2x + 1,200$ , where  $x$  represents the number of items produced. If the company spent \$2000 last month, how many items were produced?

$$\begin{array}{r} 2000 = 2x + 1200 \\ -1200 \quad -1200 \\ \hline 800 = 2x \\ \frac{800}{2} = \frac{2x}{2} \end{array} \quad x = 400 \text{ items}$$

6. The average price of a movie ticket in the year ~~2000~~<sup>0</sup> was \$5.39. The average price of a movie ticket in the year ~~2004~~<sup>4</sup> was \$6.21. Assuming the increase is linear, what would be the approximate price of a movie ticket in the year ~~2009~~?

$$\begin{array}{l} (0, 5.39) \\ (4, 6.21) \end{array} \quad m = \frac{6.21 - 5.39}{4 - 0} = \frac{.82}{4} = 0.205 \text{ \$ per yr}$$
$$y = 0.205x + 5.39$$

$$y = 0.205(9) + 5.39$$

$$y = \$7.235$$

$$\boxed{\$7.24}$$

## Identifying the meaning of slope and y-intercept

7. The equation  $y = 461.19x + 3,492$  represents the value of a work of art from 1964 to 2005. What does the number 461.19 represent?

**SLOPE**

A. value of the work of art in 1964 **y-intercept**

B. value of the work of art in 2005

C. yearly decrease in value

D. yearly increase in value **Slope**

## Identifying the meaning of slope and y-intercept

8.

~~Mr. Hanson recorded the typing speeds (in words per minute) of 25 students and their weeks of experience.~~ The line of best fit for the data is  $y = 4.4x + 18.9$ , where  $x$  is the number of weeks of experience of a student and  $y$  is the student's typing speed. What is the meaning of the y-intercept for this set of data?

$(0, 18.9)$

A. the average typing speed of the students **SLOPE**

~~B. the highest typing speed recorded~~

C. the improvement in typing speed per week for the average student

**D.** the typing speed of a student with no experience

**y-intercept**

Identifying the linear equation:

9. A computer is purchased for  $\$1,200$  and depreciates at  $\$140$  per year. Which linear equation represents the value,  $V$ , of the computer after  $t$  years?

- A.  $V = 1,200 - 140t$   
~~B.  $V = 140t$~~   
~~C.  $V = 140t - 1,200$~~   
~~D.  $V = 140(1,200 - t)$~~

$$m = -140$$
$$b = 1200$$

10. Martha has  $\$180$ . She needs a total of  $\$2,000$  to start an account. She earns  $\$60$  per day working, of which she saves  $\$50$ . Which equation can she use to determine the number of days,  $d$ , she needs to work to reach her goal of  $\$2,000$ ?

- ~~A.  $2,000 = 60d + 180$~~   
~~B.  $2,000 = 60d - 180$~~   
C.  $2,000 = 50d + 180$   
D.  $2,000 = 50d - 180$

$$m = 50$$
$$b = 180$$